

Name: \_\_\_\_\_

## Hog Hilton

You are the manager of a prestigious new hotel in downtown San Antonio—the “Hog Hilton”. It’s just the “snort of the town” and you want to keep its reputation a cut above all the other hotels. Your problem is your clientele. They are hogs in the truest sense.

Your major task is to fill rooms in your hotel. The funny shape of your hotel is to accommodate the habits of the hogs. The penthouse is on the first floor and the less desirable rooms are on the top floor. You must fill up your hotel keeping the following rules in mind:

- 1) Hogs are lazy!
- 2) Hogs can’t stand each other except when rule #1 forces them to put up with each other.
- 3) If hogs are in the same room they will face in opposite directions.
- 4) They stink, so you can’t put more than two hogs in each room.

Your hotel looks like the diagram below:

6<sup>th</sup> floor \_\_\_\_\_  
5<sup>th</sup> floor \_\_\_\_\_  
4<sup>th</sup> floor \_\_\_\_\_  
3<sup>rd</sup> floor \_\_\_\_\_  
2<sup>nd</sup> floor \_\_\_\_\_  
1<sup>st</sup> floor \_\_\_\_\_

Your hotel can hold 28 hogs.

### *Sample problems*

- (1) Book 15 hogs into their rooms

6<sup>th</sup> floor \_\_\_\_\_  
5<sup>th</sup> floor \_\_\_\_\_  
4<sup>th</sup> floor \_\_\_\_\_  
3<sup>rd</sup> floor \_\_\_\_\_  
2<sup>nd</sup> floor \_\_\_\_\_  
1<sup>st</sup> floor \_\_\_\_\_

- (2) Book 25 hogs into their rooms

6<sup>th</sup> floor \_\_\_\_\_  
5<sup>th</sup> floor \_\_\_\_\_  
4<sup>th</sup> floor \_\_\_\_\_  
3<sup>rd</sup> floor \_\_\_\_\_  
2<sup>nd</sup> floor \_\_\_\_\_  
1<sup>st</sup> floor \_\_\_\_\_

Class work: On your own, fill your hotel for the following days of the week:

Monday: 5 hogs

Tuesday: 8 hogs

Wednesday: 1 hog

Thursday: 12 hogs

Friday: 23 hogs

Saturday: 18 hogs

Sunday: 7 hogs

On the last page you learned how to fill up an imaginary hotel. Now you will relate this example to electron orbitals. Electron orbitals are modeled by the picture below and are grouped into principal energy levels.

3d \_\_\_\_\_ n=3  
 (4s \_\_\_\_\_) n=4  
 3p \_\_\_\_\_ n=3  
 3s \_\_\_\_\_ n=3  
 2p \_\_\_\_\_ n=2  
 2s \_\_\_\_\_ n=2  
 1s \_\_\_\_\_ n=1

Questions to think about:

(1) Compare this with the Hog Hilton. What are the similarities and the differences?

(2) To go between floors on the Hog Hilton did the hogs need to use energy?  
Would electrons need to use energy to go between orbitals?

(3) If only  $\frac{1}{2}$  the energy necessary to go between the 1s and 2s orbital is available, will an electron go to the 2s orbital?

Examples on how to fill electron orbitals:

(1) 7 electrons

3d \_\_\_\_\_ n=3  
 (4s \_\_\_\_\_) n=4  
 3p \_\_\_\_\_ n=3  
 3s \_\_\_\_\_ n=3  
 2p \_\_\_\_\_ n=2  
 2s \_\_\_\_\_ n=2  
 1s \_\_\_\_\_ n=1

(2) 16 electrons

3d \_\_\_\_\_ n=3  
 (4s \_\_\_\_\_) n=4  
 3p \_\_\_\_\_ n=3  
 3s \_\_\_\_\_ n=3  
 2p \_\_\_\_\_ n=2  
 2s \_\_\_\_\_ n=2  
 1s \_\_\_\_\_ n=1

Complete an electron orbital diagram for the following numbers of electrons:

10, 24, 13, 3, 5, 26, 22, 17

10 electrons \_\_\_\_\_

24 electrons \_\_\_\_\_

13 electrons \_\_\_\_\_

3 electrons \_\_\_\_\_

5 electrons \_\_\_\_\_

26 electrons \_\_\_\_\_

22 electrons \_\_\_\_\_

17 electrons \_\_\_\_\_